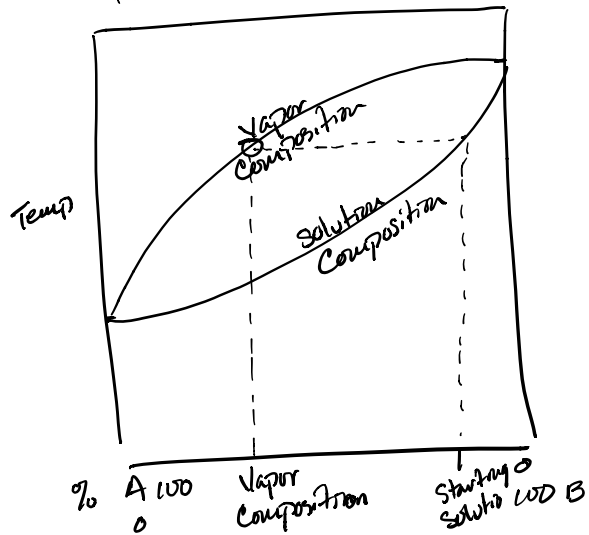
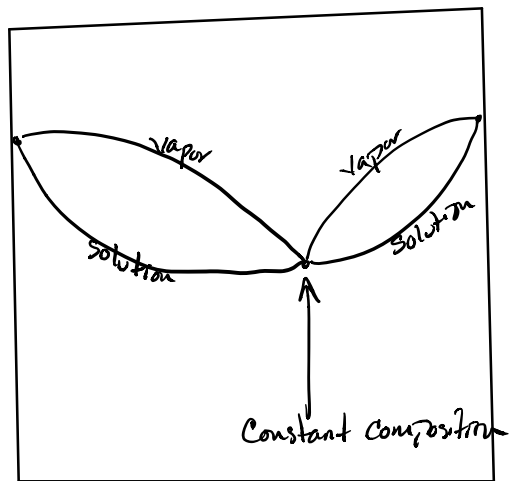


Azeotropes - (Non-ideal Solutions)

Ideal Solution
Raoult's Law



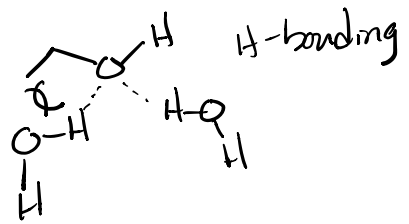
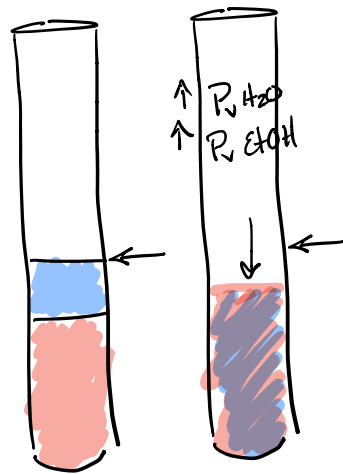
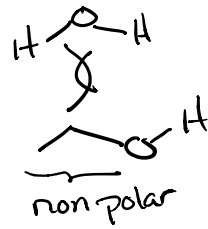
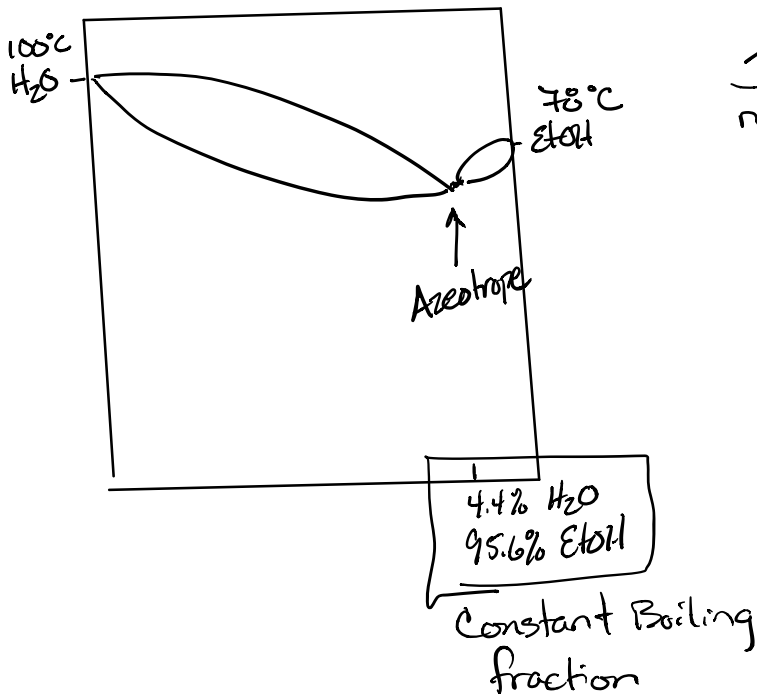
Azeotrope Non-Ideal



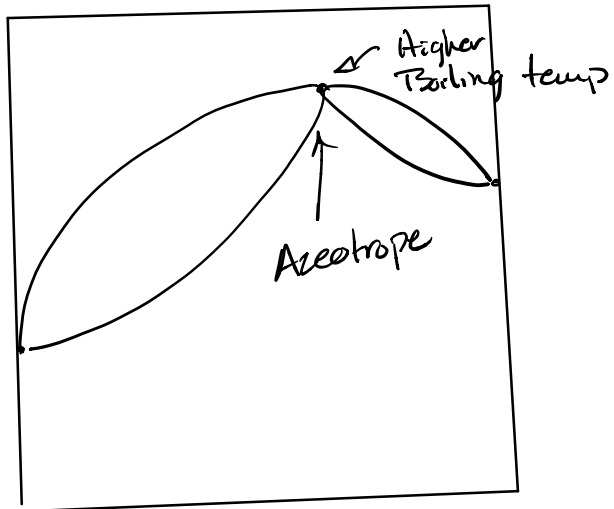
IMF forces \Rightarrow Slight repulsive forces that cause an increase in vapor pressure

Azeotrope w/ low boiling point

Two materials can have repulsive forces leading to high vapor pressure



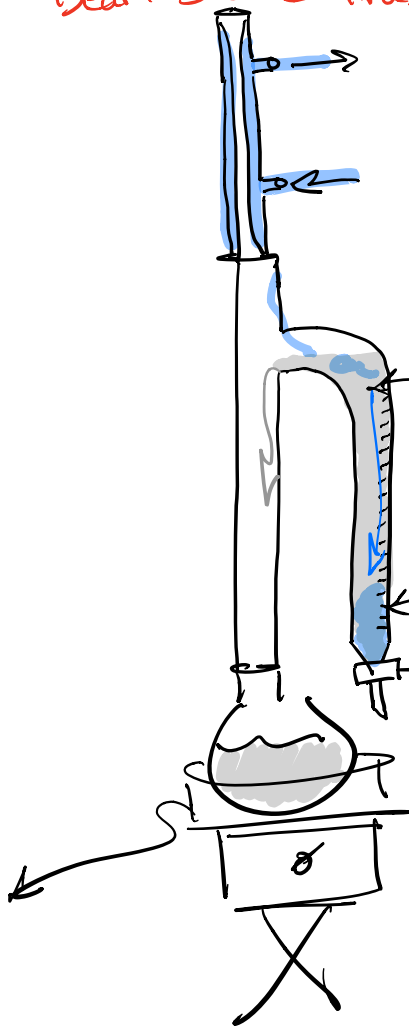
Attractive Force Azeotrope



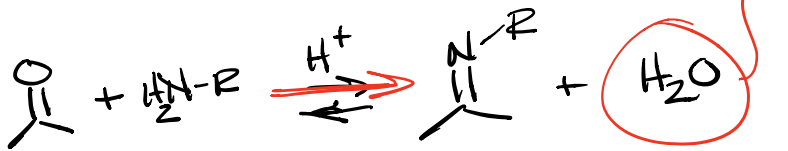
Acetone 20% CHCl_3 80% 64.7°C Azeotrope

How Azeotropes can be used - Drying by distillation

Dean-Stark Trap



Condensation Rxn \rightarrow produce H_2O



Toluene & H_2O 100°C

110°C 2%

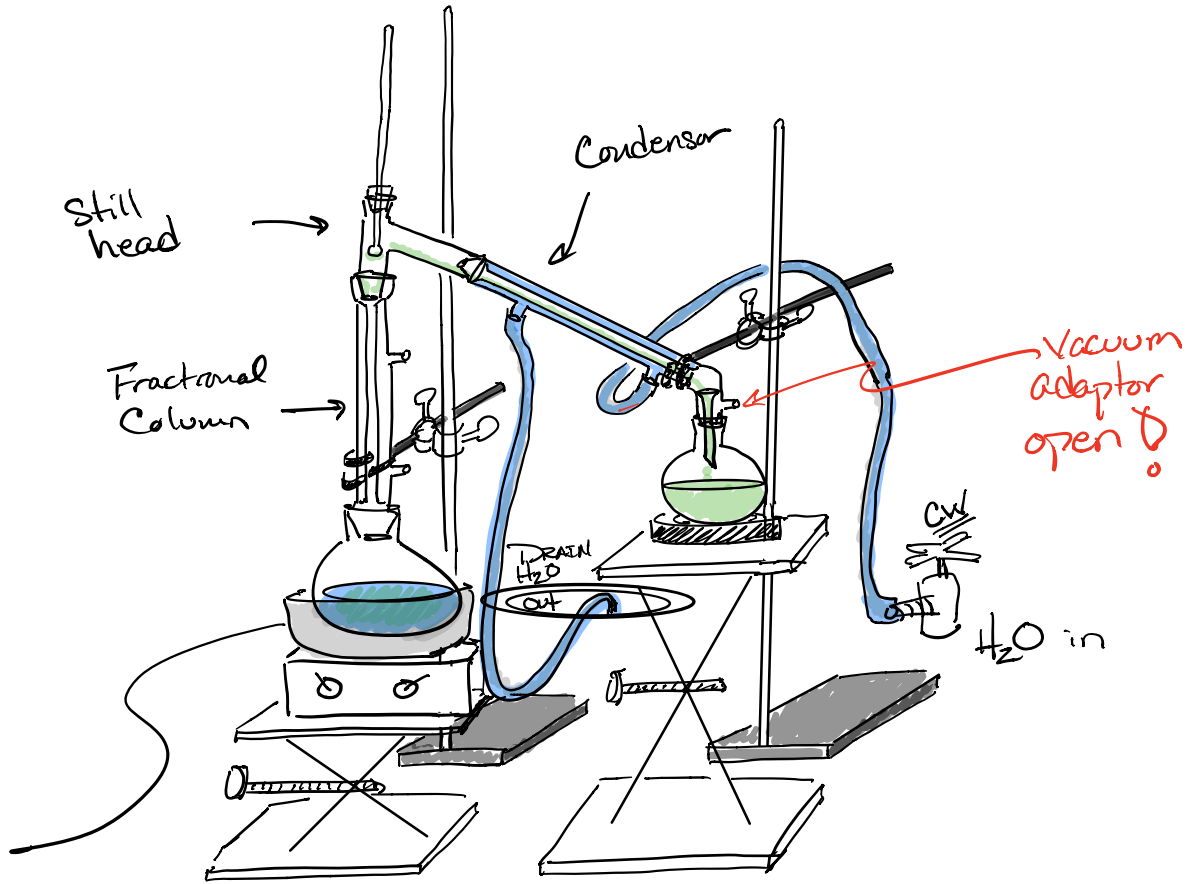


98%

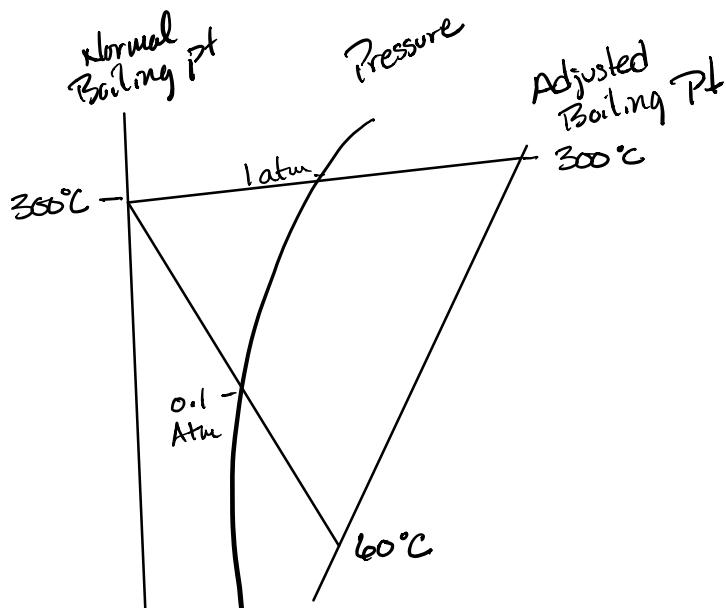
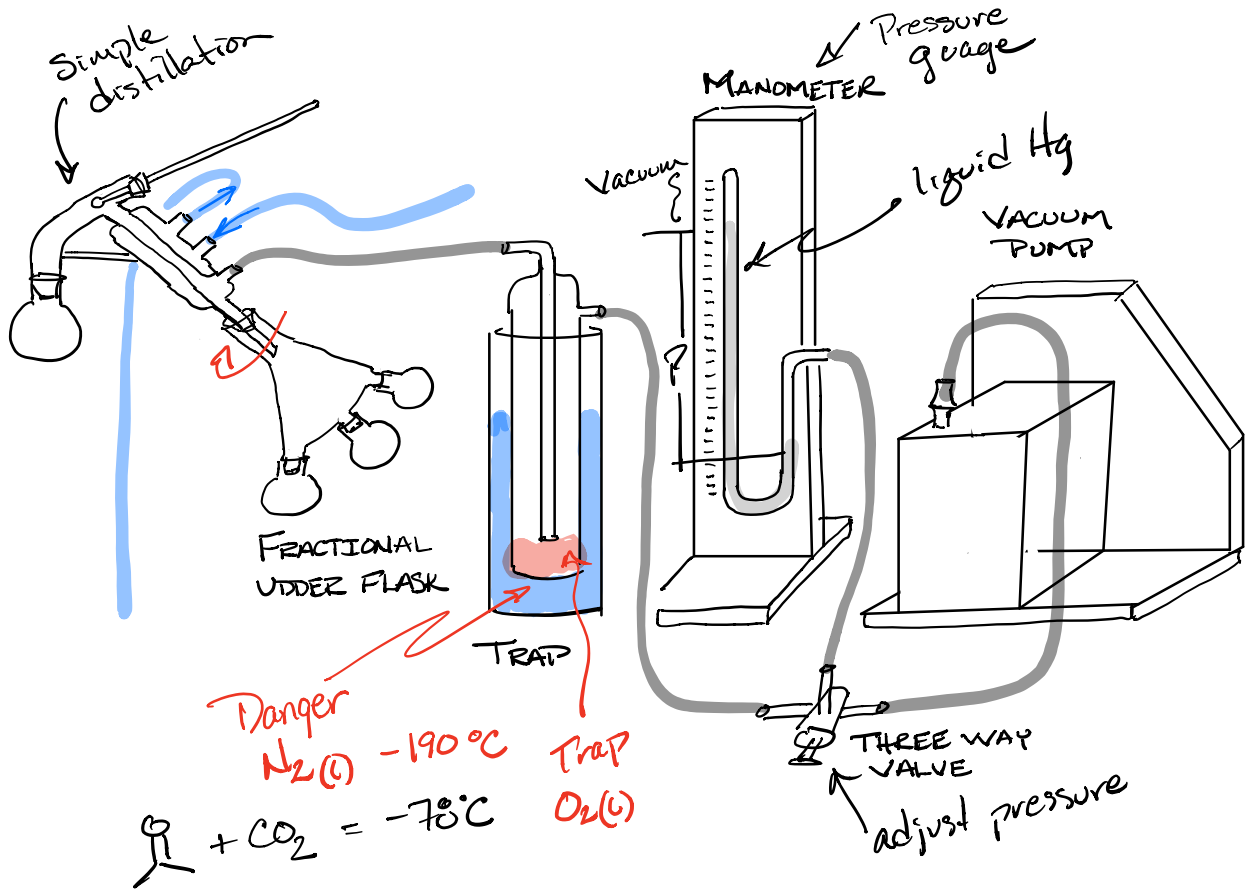
Azeotrope 98°C

H_2O removed from chemical Rxn

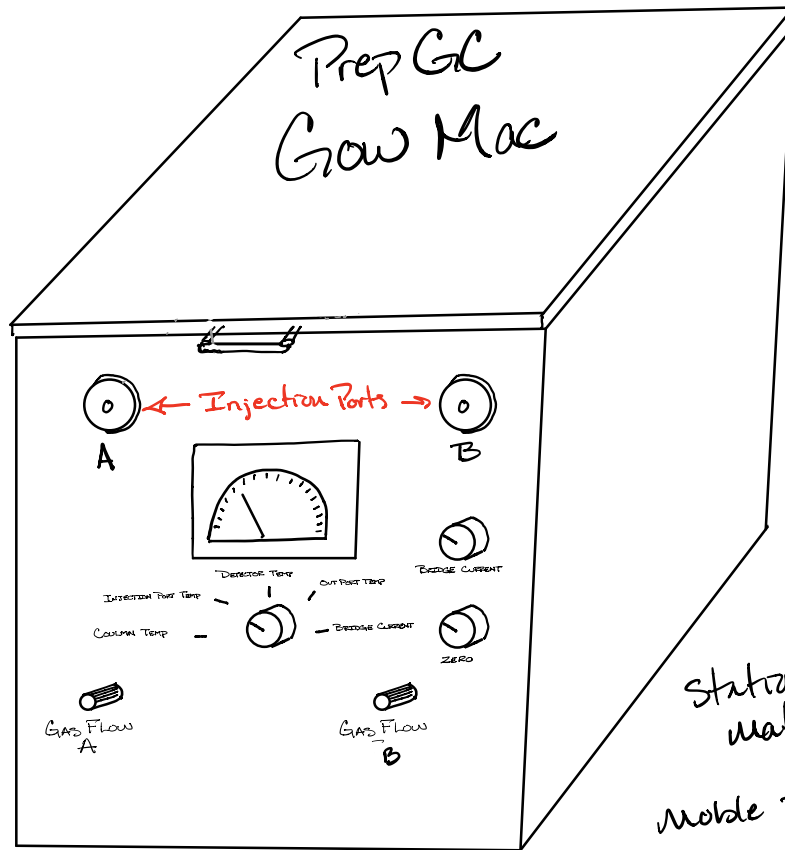
Fractional Distillation



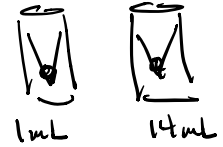
Vacuum Distillation



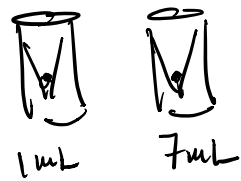
Gas Chromatography (GC)



Fractional

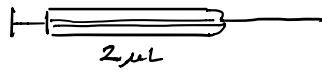


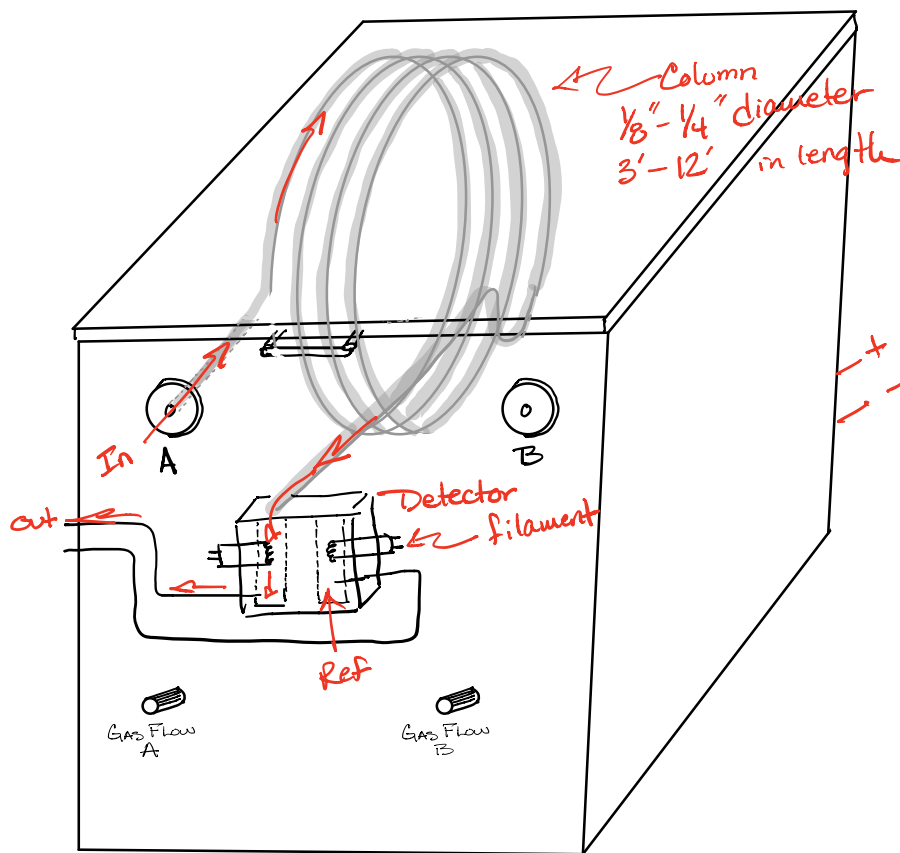
Simple



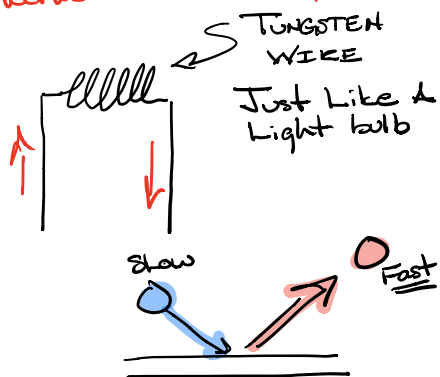
Stationary Phase material Column
Mobile Phase Gas

Glass Syringe





Thermal Conductivity Meter



Molecule Steals Heat from wire

Wire cools down

$\text{Conductance} \propto \text{Temperature}$
 $\Delta \text{Temperature} = \Delta \text{mV Signal}$

Problem



Different molecular shapes
 Steal different amounts of energy

Conc \propto ΔmV but not equal to ΔmV

Response Factors

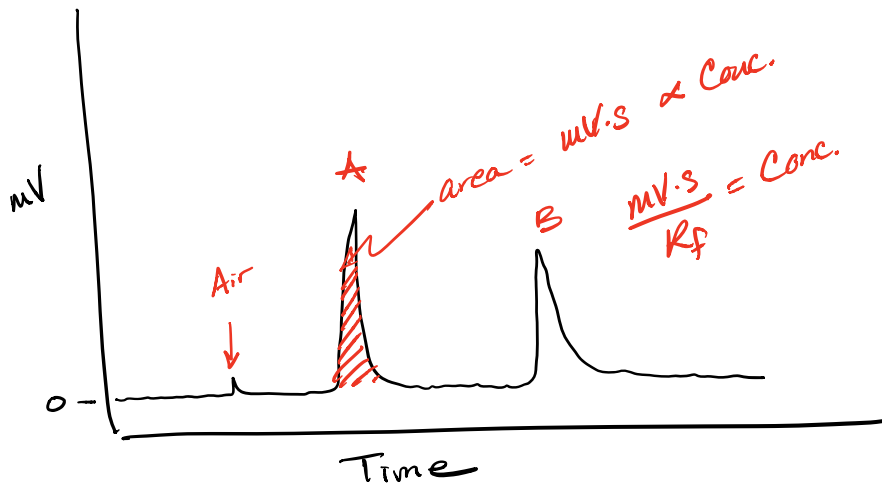
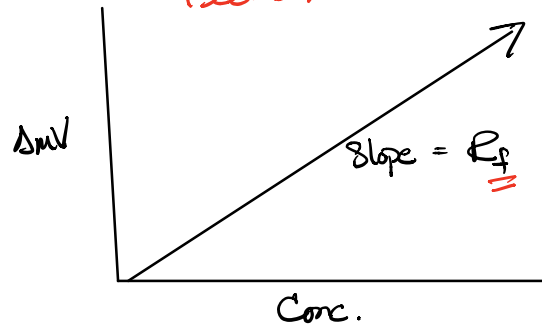
$$\Rightarrow \text{Conc.} \times R_f = \Delta mV$$

$$\underline{\underline{\text{Conc.}}} = \frac{\Delta mV}{R_f}$$

$$y = mx + b$$

$$\Delta mV = R_f \text{ Conc.} + 0$$

Beers Law Plot



$$\% A = \frac{\text{Area A}}{\text{Area A} + \text{Area B}} \times 100$$

$$\% A = \frac{\text{Area A}}{R_{fA}} \times 100$$

$$\frac{\text{Area A}}{R_f} + \frac{\text{Area B}}{R_f}$$